

## References

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## A Functional Form for the Hölder-Type Theorem for the Completely Asymmetric Stable Process

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Let  $\{X(t): 0 \leq t \leq 1\}$  be a completely asymmetric stable process with characteristic exponent  $0 < \alpha < 1$ . Define the following sets of functions

$$D_\alpha(h) = \left\{ \{2B(\alpha)\}^{-(1-\alpha)/\alpha} h^{-1/\alpha} (2 \log h^{-1})^{(1-\alpha)/\alpha} \cdot (X(s + (\cdot)h) - X(s)): 0 \leq s \leq 1-h, h > 0 \right\}$$

and

$$K_\alpha = \left\{ x: x \text{ non-decreasing on } [0, 1], X(0) = 0, \right. \\ \left. x \text{ strictly increasing on } J_x = \{t: x(t) < \infty\} \text{ and } \int_{J_x} \{\dot{x}(t)\}^{-\alpha/(1-\alpha)} dt \leq 1 \right\}.$$

We prove the following theorem.

**Theorem.** *With probability 1 as  $h \downarrow 0$ ,  $D_\alpha(h)$  is relatively compact with the set of limit points  $K_\alpha$ .*

## On the Ibragimov–Iosifescu Conjecture for $\phi$ -Mixing Sequences

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The aim of this paper is to give new central limit theorems and invariance principles for sequences of  $\phi$ -mixing sequences of random variables that come to support the truth of the Ibragimov–Iosifescu conjecture. A related conjecture is formulated and a positive answer is given for the distributions that have tails regularly varying with the exponent  $-2$ .